

CROFLOW

Enabling Highly Automated **Cross-Organisational** Work**Flow** Planning

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I-MDE-A workshop

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Western Norway
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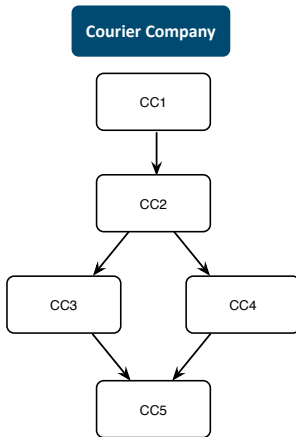
- ▶ Associate professor at Western Norway University of Applied Sciences

- ▶ Background:
 - Program languages
 - Concurrency
 - Formal modelling & Semantics
 - Types
 - Static program analysis
 - Cost analysis
 - Multicore architecture
 - ...

**Our society is gradually moving towards
a digitalised future**

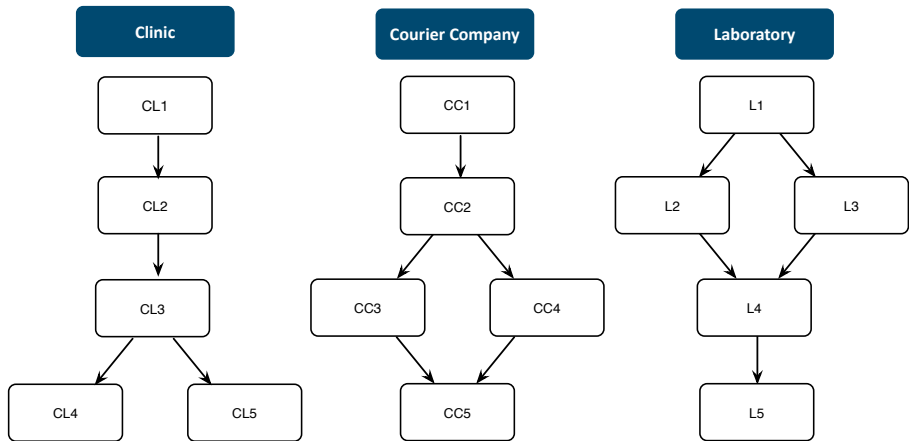
What are workflows?

Single Workflow



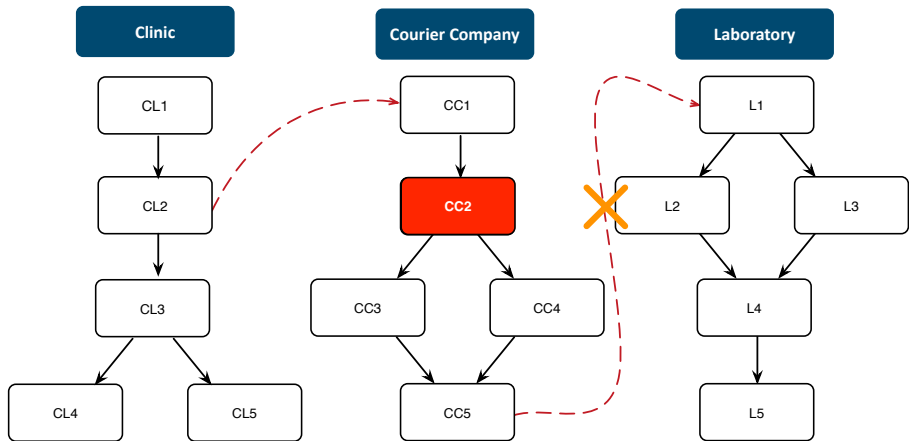
What are cross-organisational workflows

Multiple **connected** workflows



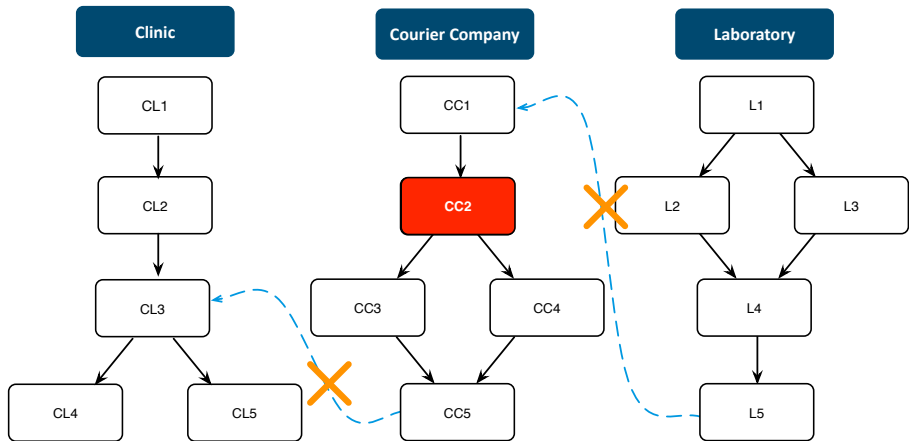
What are cross-organisational workflows

Multiple **connected** workflows



What are cross-organisational workflows

Multiple **connected** workflows



Not so good experience,
perhaps because of not so ideal workflows

Fikk sjokk på Gardermoen

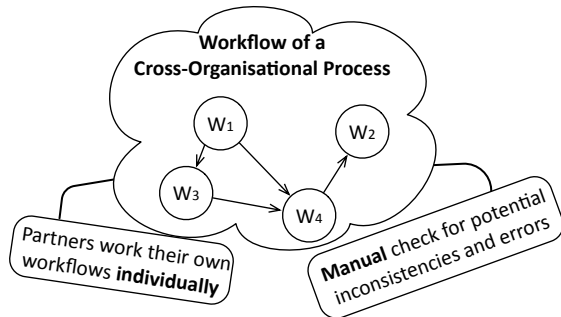
Camilla Bernal og sønnen Axel fikk sjokk da de måtte vente i åtte timer på Gardermoen, uten tilgang til mat og drikke.



<https://www.dagbladet.no/nyheter/fikk-sjokk-pa-gardermoen/74126855>

How workflows are usually planned?

Current State of the Art



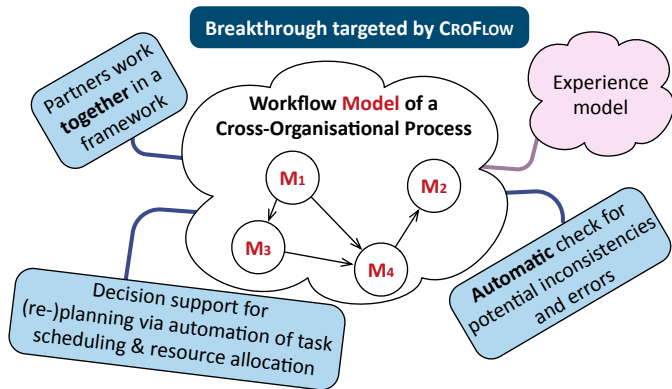
Changes can be **inconsistent**:

- ▶ Partners make changes to their own workflow (W_i).
- ▶ Changes are immediately reflected in the whole workflow, and effects of the changes are unclear.
- ▶ Manual check & changes are required for inconsistencies & errors

The goal

A new methodology to **automate** cross-organisational workflow planning and revisioning, which will eventually contribute to a **successful digitalisation**.

What we want to achieve?



Changes are **consistent**:

- ▶ Partners makes changes to their own workflow model (M_i) in the framework
- ▶ Changes are then automatically propagated to the whole workflow
- ▶ The revised model is simulated & verified according to task dependencies
- ▶ Changes are implemented after the model is modified

How do we achieve that?

Three phases

Phase 1: formal workflow modelling

Phase 2: automated task and resource scheduling, and bottleneck discovery

Phase 3: automated plan revisioning

based on **formal abstract executable models**, and integrates **concurrency theory** and **programming language theory**

- ▶ Core modelling language with the notion of
 - Resources
 - Task dependency

- ▶ Cost analysis, specifically WCET, for workflow models

The language

$$\begin{aligned} P &::= R \overline{CD} \{ \overline{T x}; s \} \\ R &::= [r \mapsto (b, Q)] \\ CD &::= \mathbf{class} \ C \{ \overline{T x}; \overline{M} \} \\ M &::= Sg \{ \overline{T x}; s \} \\ Sg &::= T \ m(\overline{T x}) \ DP \\ DP &::= \overline{CM} \mid DP \vee DP \\ CM &::= C.m \mid CM \wedge CM \\ T &::= B \mid \mathbf{Fut} \langle B \rangle \\ B &::= C \mid \mathbf{Bool} \mid \mathbf{Int} \mid \dots \end{aligned}$$
$$\begin{aligned} e &::= x \mid b \mid fs \mid \mathbf{this} \\ fs &::= f? \mid fs \wedge fs \\ rs &::= \emptyset \mid \{Q\} \cup rs \\ rid &::= \emptyset \mid \{r\} \cup rid \\ s &::= x = rhs \mid \mathbf{skip} \mid \mathbf{if} \ e \ \mathbf{then} \ s \ \mathbf{else} \ s \\ &\quad \mid \mathbf{await} \ f? \mid \mathbf{add}(rs) \mid \mathbf{hold}(rs) \\ &\quad \mid \mathbf{release}(rid) \mid \mathbf{return} \ e \mid s; s \\ rhs &::= e \mid \mathbf{new} \ C \mid f.\mathbf{get} \\ &\quad \mid e.m(\overline{e}) \ \mathbf{after} \ \overline{fs} \mid e!m(\overline{e}) \ \mathbf{after} \ \overline{fs} \end{aligned}$$

Our models

```
1 [r1 →(true, {Driver, TruckDriver, 5}), r2 →(true, {Driver, VanDriver, 5}), r3 →(true, {Van, Delivery, 1500}), ... ]
```

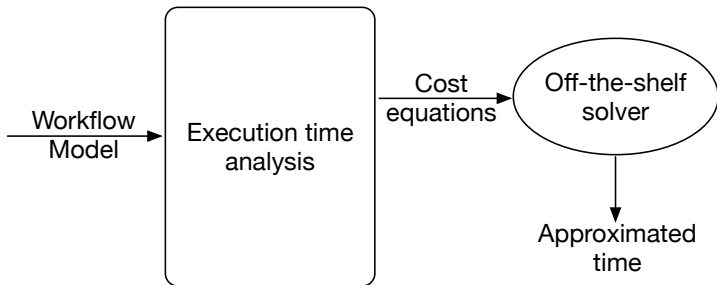
```
2 class Retailer{  
3   Unit sale(Retailer rt, Supplier sp, Courier cr){  
4     Fut<Unit> f1; Fut<Unit> f2; Fut<Unit> f3; Warehouse wh;  
5     wh = new Warehouse;  
6     if(In-Warehouse){  
7       f1 = !pack(wh) after dl 5;  
8       wait(f1); // wait for packing  
9     } else {  
10      f2 = !supply(sp, cr) after dl 15;  
11      wait(f2); // wait for supply  
12      f3 = !deliver(cr) after dl 10;  
13      wait(f3); // wait for delivery confirmation  
14    }  
}
```

```
15 class Warehouse{  
16   Unit pack(Warehouse wh){  
17     cost(k1); // Packing time  
18   }  
}
```

```
19 class Supplier{  
20   Unit supply(Supplier sp, Courier cr){  
21     Fut<Unit> f4;  
22     cost(k2); // Packing time  
23     f4 = !deliver(cr) after dl 10;  
24     wait(f4);  
25   }  
}
```

```
26 class Courier{  
27   Unit deliver(Courier cr){  
28     Rid r;  
29     r = hold({Driver, VanDriver, 5}, {Van, Delivery, 1500});  
30     cost(k3); // Delivery Time  
31     release(r);  
32   }  
}
```

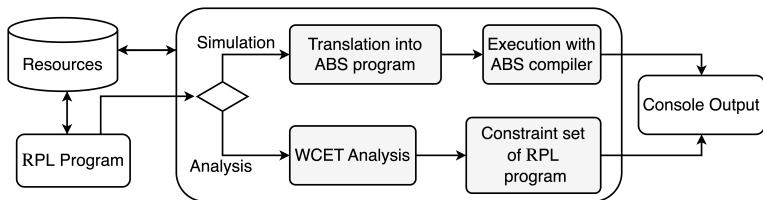
```
33 {  
34   Retailer rt; Supplier sp; Courier cr;  
35   rt = new Retailer; sp = new Supplier; cr = new Courier;  
36   sale(rt, sp, cr) after dl null;  
37 }
```



$$\mathcal{T}_{S_m}(I, \Psi, o, t_a, t, s) =$$

1. $\mathcal{T}_{S_m}(I', \Psi', o, t'_a, t', s'')$ if s is s' ; s'' , and $(I', \Psi', t'_a, t') = \mathcal{T}_{S_m}(I, \Psi, o, t_a, t, s')$
2. $(I, \Psi + e, t_a, t + e)$ if s is **cost**(e)
3. $(I, \Psi + c_m, mt_a, mt + c_m)$ if s is $x = m'(o', \bar{e})$ after $\bar{f}s$ dl e' , and $\mathcal{D} = \{(I', \Psi', t'_a, t') = \text{trans}_{S_m}(I, \Psi, o, t_a, t, \text{getF}(\bar{f}s)) \mid \bar{f}s \in \bar{f}s\}$, and, $mt_a = \max(t_a(\mathcal{D}))$, and $mt = \max(t(\mathcal{D}))$
4. $(I[f \mapsto S_m(o)], \Psi, mt_a + c_m, mt)$ if s is $f = !m'(o', \bar{e})$ after $\bar{f}s$ dl e' , and $o' \in S_m(o)$, and $\mathcal{D} = \{(I', \Psi', t'_a, t') = \text{trans}_{S_m}(I, \Psi, o, t_a, t, \text{getF}(\bar{f}s)) \mid \bar{f}s \in \bar{f}s\}$, and, $mt_a = \max(t_a(\mathcal{D}))$, and $mt = \max(t(\mathcal{D}))$
5. $(I[f \mapsto S_m(o')], \Psi[S_m(o') \mapsto \mathcal{E} \cdot \langle c_m', 0 \rangle], mt_a, mt)$

Prototype of a tool



- ▶ Type system ensuring task dependency, and no deadlock in the workflow models.

$$\frac{\begin{array}{c} \text{(T-SYNC-CALL)} \\ \text{conform}(\overline{fs}, DP) \\ \forall f \in \overline{fs}. \Gamma \vdash f : \mathbf{Fut}\langle B \rangle \\ \Gamma \vdash e : C \quad \Gamma \vdash \bar{e} : \overline{T} \quad \Gamma(C)(m) = \overline{T} \rightarrow T :: DP \end{array}}{\Gamma \vdash e.m(\bar{e}) \text{ after } \overline{fs} : T}$$

Proposition - Deadlock freedom

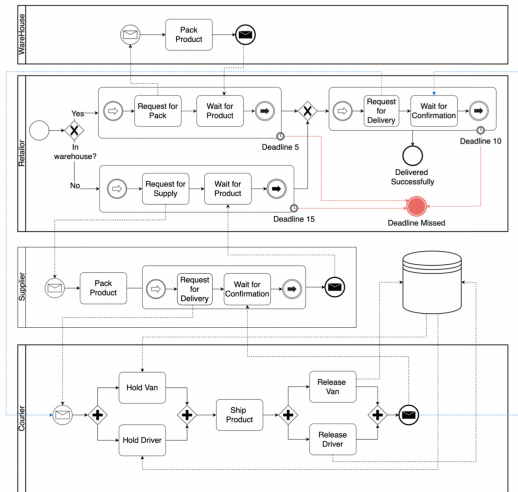
A cycle in the transitive closure of the dependency graph of a well-typed program implies that no method call to **any** member of a cycle (SCC) can be made in this program (i.e. especially not from the main entry point).

Phase 1: formal workflow modelling

Phase 2: automated task and resource scheduling, and
bottleneck discovery

Phase 3: automated plan revisioning

First phase



Phase 1: formal workflow modelling

Phase 2: automated task and resource scheduling, and bottleneck discovery

Phase 3: automated plan revisioning

Questions?

<https://croflow.github.io/>